Spin-selective transport phenomena in helical molecular wires

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Background

Recently various spin-selective phenomena have been reported in transport through helical molecular wires attached to metallic leads[1], [2], [3], see Fig. 1. There is a general consensus that the spin selectivity results due to a combination of the spin-orbit coupling and the helicity. Theoretical understanding of the so called chirality-induced spin selectivity (CISS) is, however, not complete, because most theoretical reports grossly underestimate the magnitude of the effect [4].

We present two approaches to improve the quantitative description of the CISS.

1. Metal-molecular interfaces in the GW approximation

First-principles quantum transport simulations rely on an accurate description of electronic charged excitations. The latter are not well described in density functional theory; a natural framework to describe them is Hedin's GW approximation. Our calculations show that the GWmethod widens the HOMO-LUMO gap of metallic clusters. We rigorously quantify this observation by investigating an ensemble of disordered metallic clusters [6], see Fig. 2. Our observation has profound impact on the interpretation of standard calculations of molecular adsorbates. Namely, in such studies the infinite metallic surface is always replaced by a finite cluster (with periodic or vacuum boundary conditions). Our results imply that the density of states from the GW quasiparticles will be artificially depleted right at the Fermi level.

Therefore, the GW method can not be taken as an out-of-the-box improvement over the less accurate density-functional theory.

2. Spin currents in chiral molecular junctions

Considerations based on time-reversal invariance known in the field of spintronics allow for spin-currents in two-terminal coherent devices even in absence of external magnetic fields and magnetic impurities. Such spin-currents exist even in linear response if the device hosts more than one scattering channel. We exemplify this in a model of a molecular wire of a helical topology, see Fig. 3 for an example. We provide basic principles for designing molecular junctions that generate sizable spin currents [5]. These principles can be verified by ab-initio calculations and experimental setups.

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Fig. 1. Typical setup to measure the CISS in electronic current: a non-magnetic lead (Au) attaches to a helical (DNA-like) molecule. The spin selectivity manifests as the the magnetization of the right lead (a ferromagnet) reverses.



Fig. 2. Scaling of various charged excitations of metallic clusters in evGW. Top: average level spacings and gaps in an ensemble of metallic clusters as a function of the number of atoms. Lines are guides to the eye; they reveal that the HOMO-LUMO gaps scale with a slower power law, leading to HOMO-LUMO widening. Right, the energy levels of sample clusters is shown, with HOMO aligned to 0.



Fig. 3. Charge conductance G and spin left/right spin conductances $G_z^{(\mathcal{L},R)}$ of a model helical wire with 3 (6) turns are depicted by solid (dashed) lines as a function of the Fermi energy. The helix is attached to non-helical leads.