

Modeling of a Phase-Shifting Mask

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Recently, various practical applications of phase-shifting technologies to VLSI optical lithography have been introduced to achieve higher imaging resolution [1], [2]. The performance of these technologies strongly depends on the types of phase-shifting masks called *shifters*, and specially on the shape uniformity of the shifters. However, few quantitative models describing the topographical effects of the optical phase-shifts have been reported.

In this paper we present a new optical imaging model for nonuniform phase-shifters in order to accurately simulate the image intensity at the image plane of the projection system (see Fig.1).

Based on Hopkins' theory [3], we propose a new distribution function of the image intensity at the image plane:

$$I(x, y) = \iiint [B_0(x_1-x_2, y_1-y_2)K(x-x_1, y-y_1)K^*(x-x_2, y-y_2) - S(x_1, y_1)S^*(x_2, y_2)] dx_1 dy_1 dx_2 dy_2 \quad (1)$$

Where B_0 is the mutual intensity, K is the coherent transfer function, and S is a newly defined function named the *mask function*. Asterisks indicate the conjugated form. The mask function S is defined by the product of the topographical function G multiplied by the transmission function F without phase-shift, since the image intensity is proportional to the transmission intensity which is much influenced by the topography of the nonuniform shifter. Thus S is given by

$$S(x', y') = G(x', y')F(x', y') \quad (2)$$

Next, we provide G with actual examples of two types of nonuniform phase-shifters as shown in Fig. 2b and Fig. 2c. For comparison of the phase-shift effects, we also examine the conventional mask without shifters in Fig. 2a. The G for each type is given by

$$G(x', y') = \begin{cases} 1.0 & \text{Conventional type (3)} \\ 2g_0 J_1(\sqrt{x'^2+y'^2}/\gamma)/(\sqrt{x'^2+y'^2}/\gamma) & \text{Convex type (4)} \\ 2g_1 J_1((\sqrt{x'^2+y'^2}-p)/\gamma')/((\sqrt{x'^2+y'^2}-p)/\gamma') & \text{Concave type (5)} \end{cases}$$

Where g_0 and g_1 are normalized constants, J_1 represents the Bessel function of first kind, γ and γ' are the configuration constants determined by the topography of the shifter, and p is the maximum peak position of the post-transmission intensity. The spatial coordinates of p can be found between the mask and the projection lens.

Fig. 3 gives the calculated $I(x, y)$ of three types of masks with the window width $L=0.3 \mu\text{m}$. Clearly, the topographical effects significantly influence the $I(x, y)$ profiles, and the contrast can be improved most by the use of a convex

type mask. Although the validity of the convex type mask has not yet been confirmed experimentally, the simulated results suggest the usefulness of this new type of phase-shifting mask.

The use of our model will enable new phase-shift application technologies to be developed, for example the optimization of shifter's shapes and the development of new mask patterns.

[1] T. Terasawa et al., *Proc. of SPIE's symp.*, vol. 1088, pp. 25-33, 1989
 [2] K. Nakagawa et al., *IEDM Tech. Dig.*, pp. 817-820, 1990
 [3] B. J. Lin, *IEEE Trans. on Electron Devices*, vol. ED-27, pp. 931-938, 1980

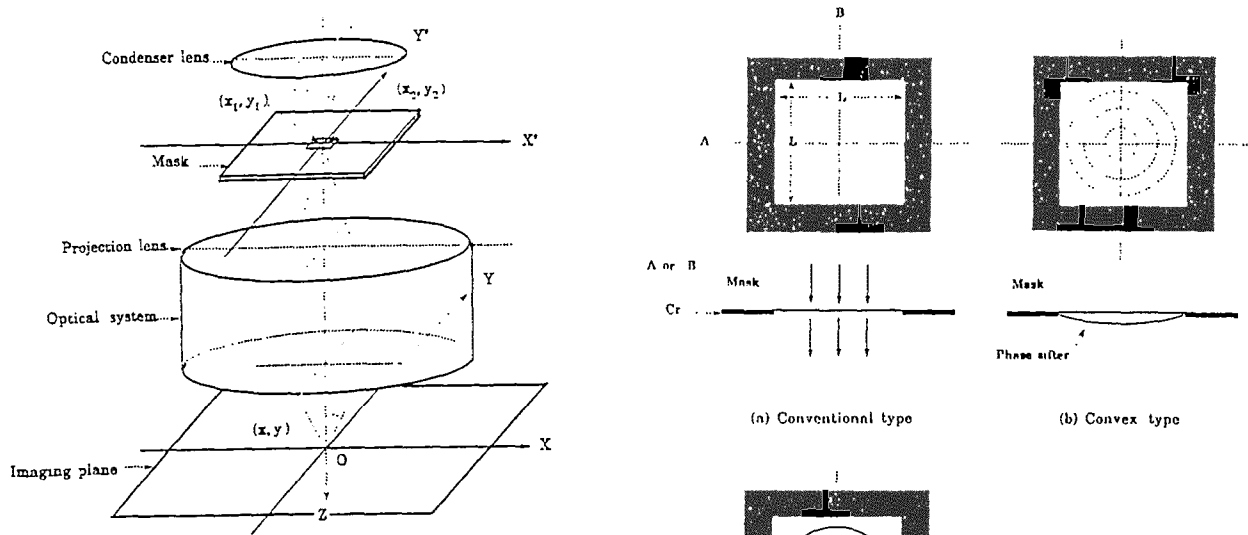


Fig.1 Schematic view of the projection system.

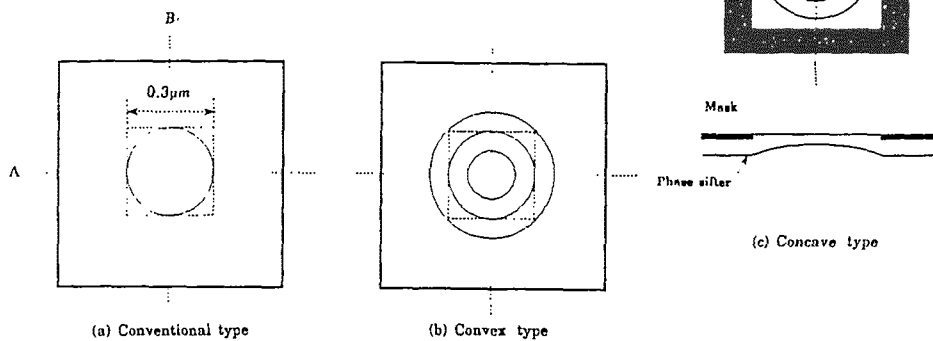


Fig. 2 Mask structures used in imaging simulations. Contour plots of shifter thickness and cross-sectional view of each mask.

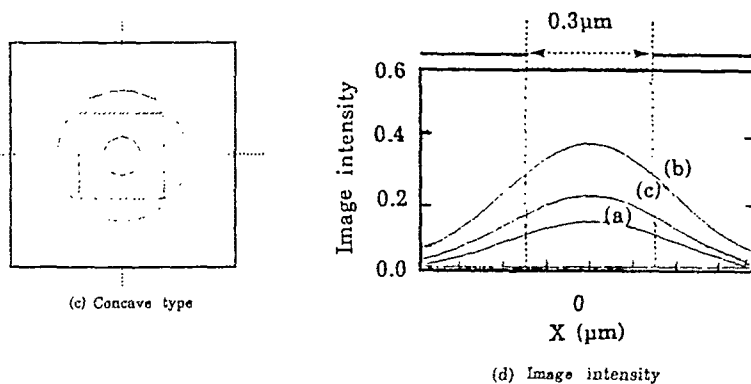


Fig.3 Contour plots of image intensity and cross-sectional view of each mask. Exposure conditions, $\lambda=365\text{nm}$, $\text{NA}=0.45$, $\sigma=0.5$, defocus=0, no aberration.