

# Overview of modeling approaches for scaled non volatile memories

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**Abstract**—The success of non-volatile memory (NVM) in the last two decades have relied on the relentless downscaling of MOS-based Flash devices. Entering the 2X nm technology, the physical scaling of Flash memories will have to face potential reliability and feasibility showstoppers. To understand the ultimate scaling limits of the Flash technology and to evaluate alternative memory concepts, physically-based models able to describe small-size effects and non-silicon-based materials are required. This work reviews recent developments and open issues of Flash and post-Flash modeling, discussing physical mechanisms in reliability and operation and highlighting the challenges in the understanding of non-silicon active materials for phase change memory (PCM) and resistive-switching memory (RRAM) devices.

**Keywords**—non-volatile memory; Flash memory; charge-trap memory; phase-change memory (PCM); resistive-switching memory (RRAM); physical modeling; reliability modeling; electro-thermal simulation

## I. INTRODUCTION

Non volatile memory has been a strong market and technology driver for the micro-nanoelectronic industry in the last two decades. This is mainly due to the broad diffusion of portable electronic devices, such as cell-phones, laptops, digital cameras and multimedia players. The huge success of Flash memories has been driven and enabled by the remarkable scaling of these devices, which allowed a 50,000x cost-per-bit reduction from 1.5  $\mu\text{m}$  (1987) to 65 nm (2007) technology nodes [1] along a scaling roadmap which has been surpassing Moore’s law in terms of nodes per year [2]. Tomorrow, the strong push to further size and cost downscaling will follow mainly two alternative paths, one aimed at overcoming the inevitable scaling limits of planar Flash by 3D structures, such as FinFET and stacked/vertical Flash approaches exploiting charge trapping. The second path embraces alternative concepts, such as phase-change memory (PCM) and resistive-switching memory (RRAM), which may allow better scaling behavior beyond 20 nm, although still presenting some open issues in the physical understanding and modeling.

The purpose of this work is to review the recent developments and challenges in the modeling of advanced non volatile memories, considering both Flash devices and the so-called post-Flash technologies (charge-trap, PCM and RRAM).

This work was supported in part by EU (project Emma FP6 – 033751), MIUR (project FIRB-RBIP06YSJJ) and Intel (Grant 34523).

The physical mechanisms for programming and reliability will be described, and the scaling perspectives of each technology will be discussed.

## II. FLASH MEMORY MODELING

The Flash memory relies on charge storage in a floating gate (FG), thus a comprehensive modeling of the memory operation and reliability requires that the tunneling/hot-carrier injection mechanisms and the low-field oxide-leakage effects are fully understood. Program/erase processes are efficiently described by quantum-mechanical tunneling models and full-band Monte Carlo and analytical models for hot-carrier injection [3]. Reliability aspects, however, pose the most intriguing and challenging questions for modeling, at both the single-cell and array levels. Fig. 1 highlights the main Flash reliability issues below the 40 nm technology node. These include (i) oxide traps, contributing threshold-voltage ( $V_T$ ) instability issues such as stress-induced leakage current (SILC) [4, 5], trapping/detrapping [6] and random telegraph-signal noise (RTN) [7, 8], (ii) edge field-enhancement and discrete-dopant effects, which collaborate with oxide-trap effects to enhance the  $V_T$  spread in the array, (iii) few-electron effects [9] and (iv) cell-cell electrostatic coupling in the array [10]. Physical understanding of all these issues is essential to develop models for designing error correction code (ECC) and wear-leveling methods [6]. The modeling approaches for each

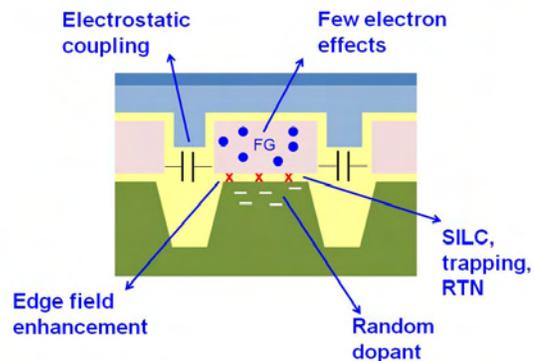


Fig. 1. Sketch for modeling issues in scaled Flash memory cells (FG = floating gate, STI = shallow trench isolation, W = channel width).

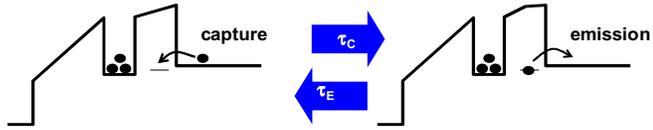
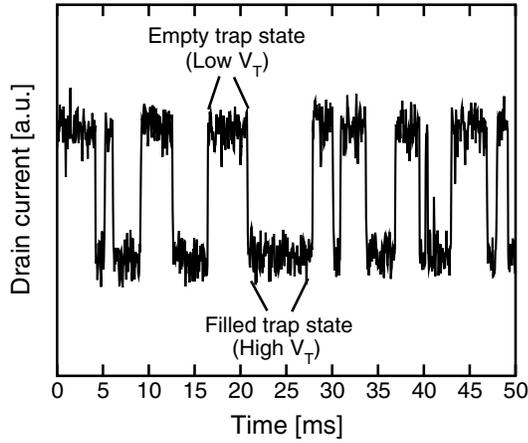


Fig. 2. Measured drain current  $I_D$  as a function of time, showing RTN (top, from [7]) and schematic for the capture/emission processes at the basis of  $V_T$  fluctuation (bottom).

of the reliability in Fig. 1 are reviewed in the following.

#### A. Oxide traps

Trap states in the dielectric layers (bottom dielectric, usually a thermal  $\text{SiO}_2$  layer, and top dielectric, an ONO stack or high-k layer) contribute the most severe reliability issues in Flash memories. High-field stress induced by Fowler-Nordheim (FN) tunneling during program and erase (P/E) results in a generation of traps in the dielectric layers. Charge trapping in such states may then cause significant  $V_T$  shift after  $10^5$ - $10^6$  P/E cycles, thus limiting the cycling endurance of the Flash memory [6]. Generated ‘hard’ traps in the bottom oxide may also contribute a trap-assisted-tunneling (TAT) leakage path, thus causing a partial charge-loss from the FG by SILC [6]. Fortunately, SILC affects a small minority of cells in the array, thanks to a careful control of P/E algorithms and of bottom-oxide quality and thickness. Also, it has been speculated that SILC may require the cooperation of at least two oxide traps, serving as an efficient percolation path for charge loss [4, 5]. The low percentage of leaky cells may thus be handle by ECC with a minimum amount of extra parity bits [6]. ECC design thus requires feasible SILC models predicting the probability of SILC within the array. Statistical SILC models have been developed, addressing both the physics of TAT leakage transport [4] and the statistical generation of SILC traps in the bottom dielectric [5, 11].

Oxide traps may also contribute to  $V_T$  shifts induced by charge detrapping from the dielectric layers: Electrons trapped at oxide states are released after the P/E pulse, resulting in a thermally-activated charge loss [12]. Although the  $V_T$  loss contributed by detrapping is lower than the SILC one, it affects most of the array cells, thus it needs to be carefully predicted for  $V_T$  window design, especially in multilevel cell (MLC).

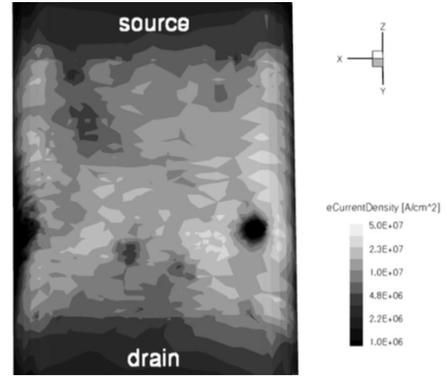


Fig. 3. Calculated current density map in a deca-nm Flash cell in presence of random dopant and edge field enhancement (from [8]).

Capture/emission processes at oxide traps can also lead to random fluctuations of the drain current  $I_D$ , as shown in Fig. 2:  $I_D$  randomly fluctuates between a high value (low  $V_T$ , empty trap state) and a low value (high  $V_T$ , filled trap state) as a result of alternated capture/emission of electrons at an oxide trap close to the substrate Fermi level (see bottom part of Fig. 2). RTN is generally stronger in Flash memories, as compared to MOS transistors at equal size, due to the larger oxide stack thickness, hence the smaller gate capacitance and the larger threshold voltage shift  $\Delta V_T$  given by:

$$\Delta V_T = -\alpha \frac{q}{C_x} \quad (1)$$

where  $-q$  is the electron charge,  $C_x$  is the gate to trap capacitance (almost equal to the whole dielectric stack capacitance) and  $\alpha$  is a parameter describing the impact of the trapped charge on channel conduction.

#### B. Random dopant and edge field enhancement

The amplitude of RTN  $V_T$  fluctuations has been shown to increase upon channel size downscaling: this can be explained by percolation effects through non-uniform  $V_T$  landscape in the randomly and discretely doped channel and by confinement effects of the current at the channel edges due to local field enhancements. Fig. 3 shows the calculated map of current density in a scaled-Flash channel [8]. The current density increases at the left/right channel edges and decreases at discrete dopant ions which are close enough to the channel, thus resulting in a non-uniform channel conduction. A fluctuating trap which is placed very close to the channel conduction bottleneck can dramatically affect  $I_D$ , resulting in giant RTN. TCAD physics-based simulations with atomistic doping and Monte Carlo placement of traps in the bottom oxide indicate that the exponential slope  $\lambda$  of the  $V_T$  distribution in the array obeys to  $\lambda \propto W^{-1}L^{-0.5}$ , where  $W$  and  $L$  are the channel width and length [8]. The larger dependence on  $W$  scaling is due to the increasing probability that the trap overlaps with the channel percolation path, thus quenching  $I_D$  [8, 13]. In addition to the strong size dependence, an increase of channel doping enhances RTN due to the increased concentration of dopants affecting channel conduction. Simulation results in Fig. 4 indicate a large enhancement of RTN effects beyond the 40 nm node, due to the strong geometry and doping dependence [8].

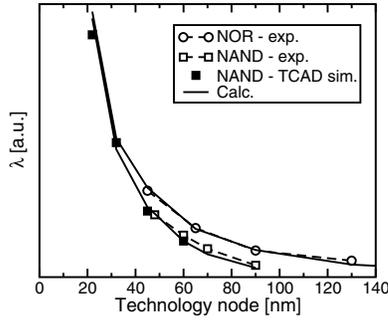


Fig. 4. Calculated exponential slope of  $V_T$  distribution  $\lambda$ , as a function of the technology node. The slope largely increases below 40 nm (from [8]).

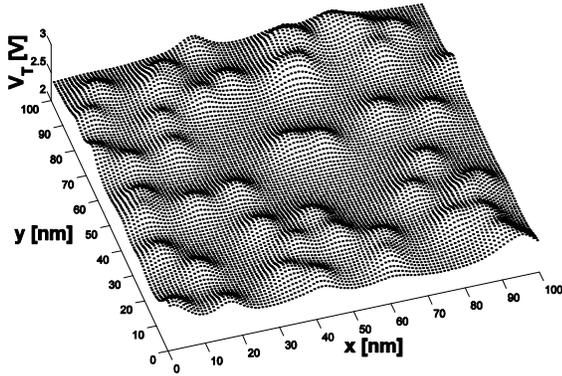


Fig. 5. Calculated  $V_T$  landscape within the channel of a charge trap memory with nanocrystal trapping layer (from [13]).

### C. Few-electron and electrostatic coupling effects

In addition to  $V_T$  shift contributed by RTN, other sources of  $V_T$  spread should be considered. As the cell scales down, the number of electrons stored in the FG decreases at equal  $\Delta V_T$  [14]. The stochastic nature of quantum-mechanical tunneling used for injecting charge into the FG degrades the control in the amount of injected charge, thus affecting the precision of MLC P/E operations [9]. Accurate modeling of  $V_T$  spread due to few-electron effects requires Monte Carlo and analytical techniques. A further source of  $\Delta V_T$  instability comes from electrostatic coupling between FGs, which increases for decreasing pitch between cells in the array, thus contributing to  $V_T$  distribution width [10]. These effects require careful array-level electrostatic 3D modeling, which can provide valuable tools for developing P/E algorithms to minimize cell-cell interferences and improve  $V_T$  distributions.

## III. EVOLUTIONARY FLASH

A potential solution to SILC and electrostatic interference comes from the charge-trap memory [1]. This consists of a Flash memory where the polysilicon FG is replaced by a charge-trapping layer, usually SiN. The discrete nature of storage nodes prevents complete leakage of charge through SILC spots, while electrostatic coupling among adjacent cells is strongly inhibited due to the lack of significant capacitive

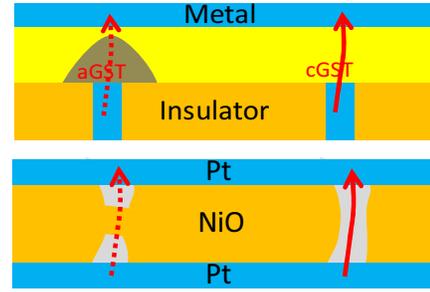


Fig. 6. Sketch for the working principle of resistive memory devices, namely PCM (top) and RRAM (bottom). The high and low resistance states are depicted on the left and right, respectively.

coupling between thin trapping layers. The most popular charge trap memory features a high-k top dielectric and a metal gate to prevent erase saturation, see e.g. the TANOS concept with TaN gate,  $\text{Al}_2\text{O}_3$  top dielectric, SiN trapping layer and thin (about 4 nm) bottom  $\text{SiO}_2$  [15]. Charge injection, trapping, emission and vertical/lateral transport in the trapping/high-k layers are fundamental issues for predicting P/E and reliability characteristics. Many physical details (trap energy distribution, nitride transport and emission mechanisms and their field and temperature dependences) are still widely debated. The discrete nature of storage nodes makes the cell electrostatics more complicated than in Flash, due to the non-uniform distribution of channel charge. This is similar to the discrete-dopant effect in Fig. 3, and results in a percolative conduction in the cell channel [13]. Fig. 5 shows the calculated  $V_T$  landscape for a charge-trap memory with Si nanocrystals dispersed in a  $\text{SiO}_2$  film. The resulting distribution of channel inverted charge results in a localized current density which must be taken into account in predicting  $V_T$  characteristics during P/E and data loss depending on cell size [13].

To compensate for short-channel degradation of  $V_T$  and to exploit 3D stacking allowing virtually unlimited cost/density scaling, vertical charge-trap architectures have been proposed. The most interesting concept is the bit-cost scalable (BiCS) Flash architecture, featuring vertical pillars as series-connected channels and nitride trapping layers [16]. 3D cell structures with better short-channel performance than planar Flash have also been demonstrated [17]. The development of these novel concepts requires detailed 3D simulation tools with sound physical models for electrostatics, tunneling and trapping/detrapping processes in high-k and trapping layers.

## IV. RESISTIVE MEMORIES

Alternative memory concepts that may allow a better scalability rely on the change of resistance due to phase transition or filament formation/rupture in specific active materials. The working principle of these resistive memory devices is schematically shown in Fig. 6: The PCM (top schematic) consists of an active thin film of chalcogenide material, typically  $\text{Ge}_2\text{Sb}_2\text{Te}_5$  (or, briefly, GST), with top and bottom electrodes. The chalcogenide material can be switched from a low-resistance crystalline phase to a high-resistance

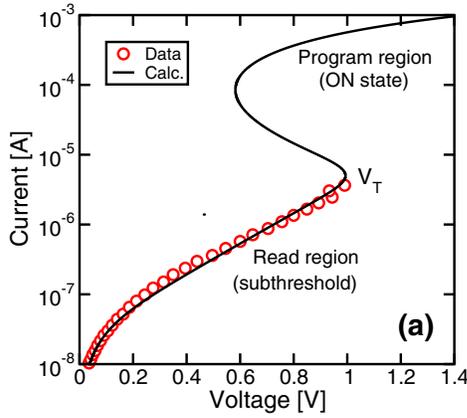


Fig. 7. Measured and calculated I-V characteristics for a PCM cell in the reset state. Calculations by the thermally-assisted hopping model [33] match the subthreshold data and reproduces NDR at the basis of threshold switching (from [31]).

amorphous phase. The latter is formed on top of the bottom electrode (the ‘heater’), which is usually very narrow for better confinement of the current density and temperature during the programming operation. The high-resistivity ‘plug’ on top of the heater results in a change of resistance by two-three orders of magnitude as compared to the crystalline state [18].

RRAM relies on resistive-switching insulator materials. An electrically-operated dielectric breakdown results in the formation of a conductive filament (CF), which can then be erased and reformed by subsequent electrical operations. The resistance-switching material is typically a binary metal oxide, such as NiO [19], Cu<sub>2</sub>O [20], TiO<sub>2</sub> [21, 22], HfO<sub>2</sub> [23] and several others. The RRAM-like operation of Ag-doped chalcogenide materials [24, 25] and organic materials [26] has been demonstrated as well. The scaling advantages of these resistive concepts are due to (i) the extremely compact cell layout, requiring only two terminals instead of the usual three for the MOS transistor, (ii) the inherent scalability of the storage concept, based on nm-sized filaments or amorphous regions, free of any electrostatic interference or few-electron phenomena, like those affecting Flash, and (iii) the capability for on-chip 3D stacking of several active layers [27]. These properties allow for high-density cross-bar structures with  $4F^2$  size of the physical cell, for each memory layer. In addition, programming resistive memories is extremely fast, due to the thermally-activated, localized character of the CF switching or phase change.

## V. PCM MODELING

PCM cells are programmed applying electrical pulses resulting in a high local temperature by Joule heating in the active chalcogenide region. To form the high-resistance amorphous phase, the pulse voltage is high enough to melt a portion of the active material, and the pulse is switched off fast enough to quench the molten region in a solid amorphous state. For re-crystallization, a lower voltage is applied so that Joule heating accelerates nucleation and growth restoring the low-resistance crystalline phase. The two states are called reset (amorphous phase) and set (crystalline state) respectively.

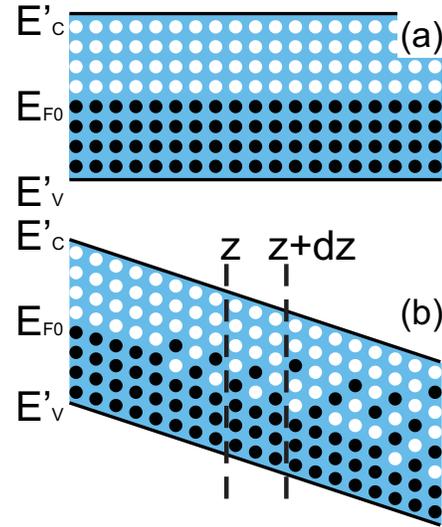


Fig. 8. Sketch for the energy-gain threshold switching model, showing equilibrium (a) and high-field conditions (b) (from [35]).

The Joule-heating-based programming of the phase-change can be modeled by self-consistent drift-diffusion coupled with heat transport equations. After calibration against I-V and set/reset characteristics for several cell geometries [28], the model can be applied to explore the optimization/scaling strategies [29] and for an investigation of the thermal interference in the PCM array [30]. Although plausible for the crystalline set state, the drift-diffusion approach is not adequate for describing the amorphous chalcogenide conduction. The I-V characteristic for the amorphous reset state is shown in Fig. 7: at sufficiently low values, the current increases exponentially up to a threshold voltage  $V_T$  where a negative differential resistance (NDR) region takes place. In the high-current ON-state, the I-V curve displays a positive slope. Subthreshold conduction and the switching threshold / dynamics are essential for an accurate simulation of PCM read and program, particularly for the reset transition [31].

For subthreshold conditions, carrier transport occurs at localized states in the mobility gap [32]. Thermally-assisted hopping can account for the temperature dependence and the exponential voltage dependence of the subthreshold current and for the presence of the characteristic threshold switching effect [33, 34]. The latter can be explained as a hopping-conduction instability taking place at sufficiently large voltage, as a result of the energy gain of trapped carriers [35].

The threshold switching mechanisms is schematically shown in Fig. 8: at low field (a), electrons contribute to the trap-limited current occupying localized states below the equilibrium Fermi level  $E_F$ . The energy gain due to the electric field is effectively balanced by energy relaxation processes in the trapped state. At sufficiently large fields (b), energy relaxation cannot compensate energy gain, as electrons do not spend enough time in the same localized state. This results in a ‘heating’ mechanism enhancing conductivity, since the trap emission rate is exponentially increasing with the carrier energy [35]. The mobility enhancement allows for a decrease of the electric field in most of the amorphous chalcogenide

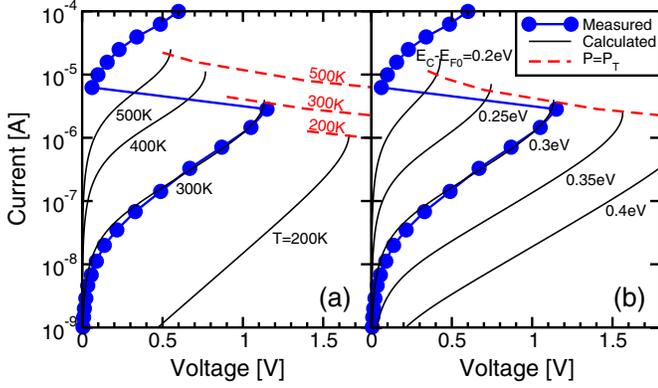


Fig. 9. Calculated I-V curves of a PCM cell for increasing temperature (left) and for increasing mobility gap of the active material. Data from a for GST at 25°C are shown for reference (from [35]).

layer, for increasing current, which is at the basis of the NDR above the switching point in Fig. 7.

A quasi-analytical modeling of threshold switching was shown to account for the thickness dependence of the threshold voltage  $V_T$  and of the threshold current  $I_T$  [35]. The carrier heating model for threshold switching also allows for a prediction of the subthreshold current and of switching points as a function of experimental and material parameters. Fig. 9 shows the calculated I-V curves for variable temperature  $T$  (left) and for variable mobility gap of the chalcogenide material (right). Data for GST at 25°C are also shown for reference.  $V_T$  decreases and  $I_T$  increases for increasing  $T$ , in qualitative agreement with literature data [36]. This is because switching is triggered by a critical carrier energy which corresponds to a power density  $P_T$ , given by:

$$P_T^m = \frac{\gamma_T N_T (kT)^2}{\tau_{rel} (E_C' - E_{F0})} \quad (2)$$

where  $\gamma_T \approx 1$  is a constant,  $N_T$  is the density of localized states,  $k$  is the Boltzmann constant,  $\tau_{rel}$  is a time constant for energy relaxation and  $E_C'$  is the conduction-band mobility edge [35]. The crossing between I-V curves and Eq. (2) yields the switching points in the figure. For increasing mobility gap,  $I_T$  decreases and  $V_T$  increases, due to the strong suppression of current. These results are consistent with reported  $V_T$  as a function of the mobility gap for Ge-Sb-Te compounds [37].

#### A. PCM reliability modeling

The inherent metastability of the amorphous phase makes the PCM cell prone to structural relaxation (SR) and phase crystallization. During SR, the disordered structure rearranges toward more stable configurations [38–40]. Structural defects annihilates and the mobility gap increases, resulting in a regular increase of resistance  $R$  [41]. Fig. 10 shows measured  $R$  as a function of time for variable annealing temperature:  $R$  drifts faster for increasing  $T$ , revealing the thermal activation of the SR process [42]. Crystallization (see data at 180°C in the figure) is instead a proper phase transition from the high- $R$

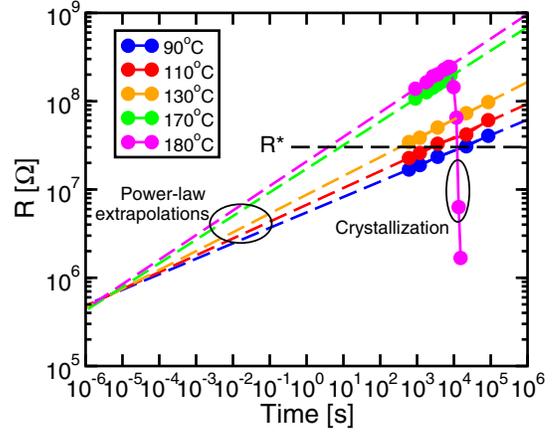


Fig. 10. Measured resistance as a function of time for increasing annealing temperature.  $R$  was measured at 25°C (from [42]).

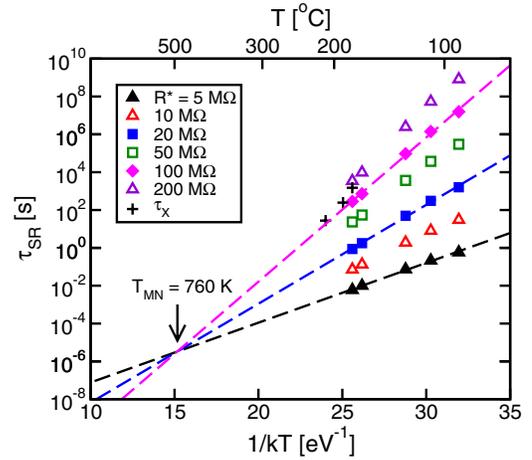


Fig. 11. Arrhenius plot of relaxation times  $\tau_{SR}$  extracted from Fig. 10 and crystallization time  $\tau_x$  (from [42]).

amorphous phase to the low-band-gap, doped-semiconductor crystalline phase, resulting in a dramatic  $R$  drop [43, 44].

Modeling PCM reliability requires adequate laws to predict the temperature acceleration of SR and crystallization. SR can be described by the standard Arrhenius law:

$$\tau_{SR} = \tau_0 e^{\frac{E_A}{kT}} \quad (3)$$

where  $\tau_{SR}$  is the time to reach a resistance  $R^*$  (see Fig. 10) and  $E_A$  is the activation energy. Eq. (3) can similarly account for the crystallization time  $\tau_x$ , with an activation energy  $E_x$  of about 2.6 eV and a pre-exponential time  $\tau_{x0} \approx 10^{-23}$  s [42].

Fig. 11 shows the Arrhenius plot of  $\tau_{SR}$  and  $\tau_x$ : All data obey the Arrhenius law, crossing at  $T_{MN} = 760$  K and  $\tau_0 \approx 4 \times 10^{-6}$  s. This is evidence for the Meyer-Neldel rule [42]:

$$\tau_0 = \tau_{00} e^{-\frac{E_A}{kT_{MN}}} \quad (4)$$

which relates the pre-exponential time to  $E_A$  by a compensation law, where higher activation energies are favored by a decreased  $\tau_0$ . The presence of a common relationship satisfying

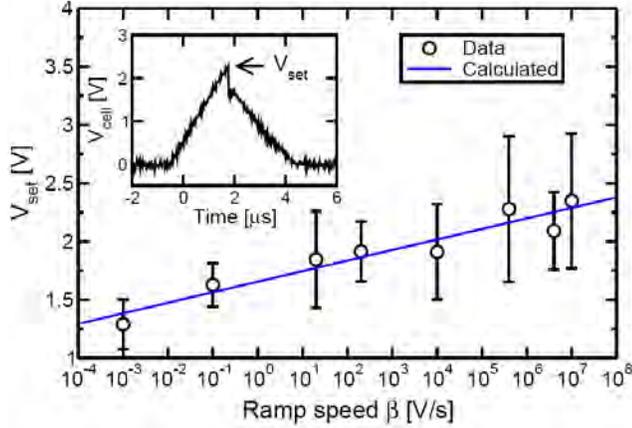


Fig. 12. Measured and calculated  $V_{\text{set}}$  as a function of sweep rate  $\beta = dV/ds$ . The inset shows an oscilloscope trace of cell voltage during the set triangular pulse (from [50]).

Eq. (4) demonstrates that SR and crystallization, although being different processes, share the same multi-phonon excitation mechanism for overcoming their respective energy barriers. This allows for accurate kinetic models for reliability prediction and temperature-accelerated data analysis [45].

## VI. RRAM MODELING

Resistance switching effects in metal oxides are known since the mid 1960s [46], however this concept has been recently revived as a potential NVM approach. Nickel oxide (NiO) has shown the most promising properties including stable and repeatable switching voltages, sufficient endurance and unipolar switching [27, 47]. Bipolar switching displayed by other materials may instead prevent a straightforward implementation within a diode-rectified cross-bar architecture.

Contrary to phase-change mechanisms in PCMs, modeling of RRAM operation is still in its infant stage. This is because of the localized nature of resistance switching in RRAM devices, which makes it difficult to investigate the switching phenomena on a larger scale by thermal or optical methods. Switching in RRAM may be compared to the time-dependent dielectric breakdown in  $\text{SiO}_2$  and high- $k$  dielectrics. Similar to the breakdown effect, the low-to-high resistance (set) transition consists in the formation of a microscopic CF through the high-resistance dielectric layer. CF formation in NiO has been shown to proceed via a preliminary threshold switching process [48]. The large current density, Joule power dissipation and temperature increase in the threshold switching spot is responsible for the structural/chemical transformation at the basis of the CF formation, through electromigration effects and non-equilibrium oxygen diffusion. In fact, the metallic nature of set resistance strongly suggests that the CF consists of a Ni-rich region, similar to the reported over-stoichiometric Si in the damaged spot in post-breakdown MOS transistors [49]. The intimate link between set and threshold switching allows to estimate the set voltage  $V_{\text{set}}$  based on analytical threshold switching models [50]. Fig. 12 shows the measured  $V_{\text{set}}$  as a function of the voltage sweep rate  $\beta = dV/ds$  in triangular pulses. The inset shows a typical oscilloscope trace for the cell

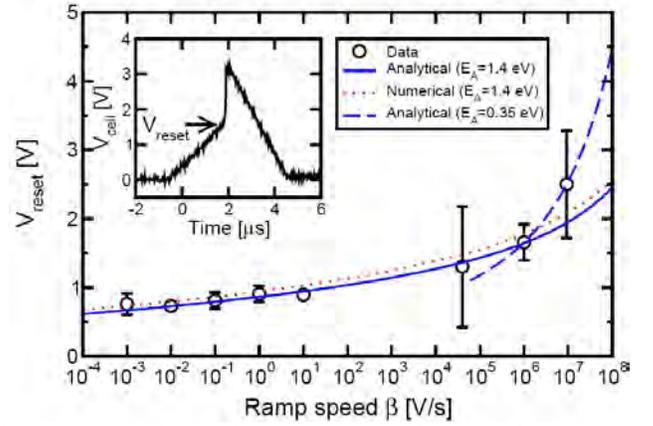


Fig. 13. Measured and calculated  $V_{\text{reset}}$  as a function of sweep rate  $\beta = dV/ds$ . The inset shows an oscilloscope trace of cell voltage during the reset triangular pulse (from [50]).

voltage during the pulse, marking the voltage drop at the set transition. Assuming an exponential increase of the switching probability with voltage, the  $V_{\text{set}}$  can be obtained as:

$$V_{\text{set}} = V_0 \log \frac{\beta \tau_0}{V_0}, \quad (5)$$

where  $V_0$  and  $\tau_0$  are constants. Calculations by Eq. (5) are also shown in the figure. The increase of  $V_{\text{set}}$  with sweep time is due to the  $1/f$ -noise-driven switching mechanism [31]: for increasing  $\beta$ , a smaller region of the noise power spectrum contributes to fluctuations, thus a larger voltage must be reached for threshold switching [31].

The low-to-high resistance (reset) transition in NiO has been instead explained by a thermally-activated reaction / diffusion process resulting in a CF disruption, restoring the reset state [51, 52]. Thermal activation results in a remarkable voltage acceleration. Fig. 13 shows measured and calculated reset voltage  $V_{\text{reset}}$  as a function of  $\beta$  during triangular reset pulses. The inset shows measured cell voltage with a sharp increase at reset. Calculated results were obtained assuming an Arrhenius-accelerated reset process where the CF diameter  $\phi$  shrinks according to:

$$v_G = -\frac{d\phi}{dt} = v_{G0} e^{-\frac{E_{\text{reset}}}{kT}}, \quad (6)$$

where  $v_G$  is the velocity of the CF edge,  $v_{G0}$  is a pre-exponential constant and  $E_{\text{reset}}$  is the activation energy for the reset process. The edge drift in Eq. (6) may relate to atomic diffusion (e.g. O vacancies or Ni from the CF, or O back to the CF) and/or chemical reaction, e.g. oxidation of metallic Ni. NiO is in fact stable below about 2270°C, according to the Ellingham diagram for oxidation free enthalpy [53].

Data in the figure below  $\beta = 10^6 \text{ Vs}^{-1}$ , analyzed with a thermal model for the voltage-dependent T profile in the CF, yield  $E_{\text{reset}} = 1.4 \text{ eV}$ . This parameter has a key importance for NiO-based RRAM modeling, since it controls the voltage acceleration of reset in Fig. 13, which allows to extrapolate the fast-pulse reset voltage from DC data. In this regard, note that, for efficient

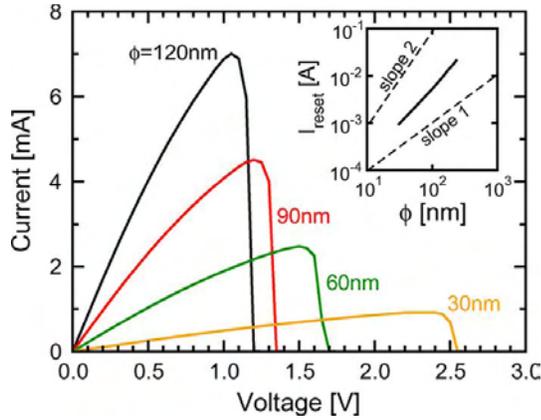


Fig. 14. Calculated I-V curves for set-state RRAM cells for variable CF size.  $I_{\text{reset}}$  scales with CF size, as reported in the inset (from [52]).

pulsed reset in the 10-100 ns time range, a  $V_{\text{reset}}$  of about 3 V should be expected from the figure, as compared to the sub-1 V reset typically reported in the low-frequency range [50].

From this analysis, one main drawback of RRAM appears to be the large reset current  $I_{\text{reset}}$ . In fact, for  $V_{\text{reset}} \approx 3$  V and a set resistance in the 0.3 k $\Omega$  range, one gets a rough estimate of 10 mA for  $I_{\text{reset}}$ . This large  $I_{\text{reset}}$  is not compatible with the small chip size and the large throughput required in high-density NVM devices. Two paths are available for  $I_{\text{reset}}$  scaling, namely (i) geometry scaling by careful control of the CF size during set [54], and (ii) materials engineering. In the first approach, CF downscaling should result in an increase of  $R_{\text{set}}$ , hence a decrease of  $I_{\text{reset}} \propto \phi^2$ . Fig. 14 shows the calculated I-V curves for variable  $\phi$ , from 30 to 120 nm [52]. Calculations were obtained by a detailed finite-element-method (FEM) tool enabling self-consistent electrical/thermal transport. As expected,  $I_{\text{reset}}$  decreases for decreasing  $\phi$  (see the inset). Note that  $V_{\text{reset}}$  increases for decreasing  $\phi$ , resulting in a weaker scaling dependence of  $I_{\text{reset}} \propto \phi^{1.5}$ . This is due to the increasing additional contribution of heat loss through the surrounding NiO for small CFs, degrading thermal confinement [52].

#### A. RRAM reliability modeling

The activation energy  $E_{\text{reset}}$  is also of extreme value for predicting and extrapolating the thermal stability of the CF, which dictates the intrinsic data retention of the RRAM device. Fig. 15 shows the Arrhenius plot of measured retention time  $\tau_{\text{reset}}$  obtained from annealing experiments of the thermally-driven reset. The activation energy is 1.2 eV, in agreement with the 1.4 eV extracted from voltage-driven reset. A temperature of roughly 105°C is found at 10 years, which complies with the NVM reliability requirements. Data and extrapolations for GST-based PCM devices are shown for comparison: the larger activation energy of 2.6 eV results in a better tradeoff between fast crystallization during programming and long retention time (10 years at about 105°C). The larger energy barrier for data loss in GST is due to the large number of atomic transitions required for the first crystalline nucleation in the amorphous region [45], while CF rupture may proceed by single O vacancies independently diffusing out of the CF.

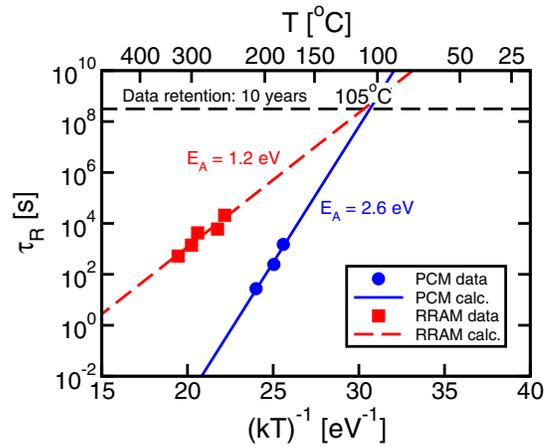


Fig. 15. Arrhenius plot of retention times for intrinsic RRAM and PCM cells. Despite the lower activation energy, RRAM appears compliant with NVM applications.

## VII. CONCLUSIONS

Flash downscaling beyond 20 nm will pose severe challenges, while other memory concepts (e.g. TANOS, BiCS Flash, PCM and RRAM) may offer better scaling opportunities. In such a scenario, physics-based modeling is essential for providing comparative projections of NVM scaling. The review discusses the main modeling approaches, focusing on the challenges related to the broad spectrum of new materials and the complex blend of thermal, chemical and electrical processes involved in the memory programming and reliability.

## ACKNOWLEDGMENT

The author acknowledges useful discussions with C. Monzio Compagnoni, A. S. Spinelli, A. L. Lacaita, A. Pirovano, R. Bez, D. Kau and G. Spadini.

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